## Problem D

## Factors

## Time Limit: 2 seconds

The fundamental theorem of arithmetic states that every integer greater than 1 can be uniquely represented as a product of one or more primes. While unique, several arrangements of the prime factors may be possible. For example:

$$
\begin{aligned}
10 & =2 \cdot 5 \\
& =5 \cdot 2
\end{aligned}
$$

$$
\begin{aligned}
20 & =2 \cdot 2 \cdot 5 \\
& =2 \cdot 5 \cdot 2 \\
& =5 \cdot 2 \cdot 2
\end{aligned}
$$

Let $f(k)$ be the number of different arrangements of the prime factors of $k$. So $f(10)=2$ and $f(20)=3$.
Given a positive number $n$, there always exists at least one number $k$ such that $f(k)=n$. We want to know the smallest such $k$.

## Input

The input consists of at most 1000 test cases, each on a separate line. Each test case is a positive integer $n<2^{63}$.

## Output

For each test case, display its number $n$ and the smallest number $k>1$ such that $f(k)=n$. The numbers in the input are chosen such that $k<2^{63}$.

| Sample Input 1 | Sample Output 1 |
| :--- | :--- |
| 1 | $1 \quad 2$ |
| 2 | 2 |
| 3 | 3 |
| 105 | $105 \quad 720$ |

