

The *Pascal matrix* is the (infinite) matrix defined by (zero based row and column):

$$\text{Pascal}[\text{row}, \text{column}] = \text{Comb}(\text{row}, \text{column}) \text{ for } 0 \leq \text{column} \leq \text{row}$$

and zero otherwise, where $\text{Comb}(n, k)$ is the number of combinations of n things taken k at a time (the binomial coefficient).

1	0	0	0	0	0	0	0	0	0 ...
1	1	0	0	0	0	0	0	0	0 ...
1	2	1	0	0	0	0	0	0	0 ...
1	3	3	1	0	0	0	0	0	0 ...
1	4	6	4	1	0	0	0	0	0 ...
1	5	10	10	5	1	0	0	0	0 ...
1	6	15	20	15	6	1	0	0	0 ...
1	7	21	35	35	21	7	1	0	0 ...
1	8	28	56	70	56	28	8	1	0 ...
1	9	36	84	126	126	84	36	9	1 ...
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For this problem, you will write a program to compute entries in powers of the *Pascal* matrix:

$$\text{Pascal}^P = \text{Pascal} \times \text{Pascal} \times \dots \times \text{Pascal} \text{ (P factors)}$$

Since the matrix is lower triangular, all powers are lower triangular and only the upper left n by n corner is used in computing coefficients in the upper left n by n corner of the power.

Input

The first line of input contains a single integer K , ($1 \leq K \leq 1000$), which is the number of data sets that follow. Each data set should be processed identically and independently.

Each data set consists of a single line of input containing four space-separated decimal integers. The first integer is the data set number. The second integer is the power, P ($1 \leq P \leq 100,000$), to which to raise the Pascal matrix. The third and fourth integers give the row number, R , and the column number, C , of the desired entry ($0 \leq C \leq R \leq 100,000$).

Output

For each data set there is a single line of output. The line consists of the data set number, a single space, which is then followed by the requested entry of the requested *Powers of the Pascal* matrix. Input values will be restricted so results will not overflow a 64-bit integer value.

Sample Input	Sample Output
3	1 56
1 1 8 3	2 8759577256290
2 9 21 13	3 1999980000000000
3 200 100000 99998	